S.E. Exam Review: Timber Design

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- 4.Shear Walls and Diaphragms (Slides 80 – 93)
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NCEES Guide

- 1. Vertical Forces Exam Friday Breadth
	- Wood, 4 out of 40 questions: **sawn beams**, **glue-laminated beams**, **columns**, engineered lumber, bearing walls trusses, bolted, nailed, and screwed connection
- 2. Vertical Forces Exam Friday Depth
	- 4 1 hour problems, will include a wood structure.
- 3. Lateral Forces Exam Saturday Breadth
	- Wood, 3 out of 40 questions: **shear walls**, **plywood diaphragms** and subdiaphragms
- 4. Lateral Forces Exam Saturday Depth
	- 4 1 hour problems, may include a timber structure.

Focus on the bold topics. Use ASD.

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Any timber design experience? – Courses or Design

Timber experience – feedback via chat

How many at site have

- A. Little or none
- B. A short course and/or a little design
- C. Design simple buildings/elements
- D. Design timber routinely
- E. Design timber in sleep a timber wiz, etc.

As per NCEES, Use the NDS-2015 ASD/LRFD **Standard**

As per NCEES, Use the NDS-2015 ASD/LRFD **Standard**

As per NCEES, Use the AWC-SDPWS 2015 Standard

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As per NCEES, Use the NDS-2015 ASD/LRFD **Standard**

Also recommend manual

Wood Design Methods -

- Generally 3 methods used
- Prescriptive for conventional construction, limited to typical residential construction, span and height tables, not addressed
- Allowable Stress Design (ASD) engineered, most common historically, [f ≤ adjusted F], in NDS (National Design Standard)
- ■Load Resistance Factor Design (LRFD) newer. What I normally teach, but to keep it simple I am presenting ASD.

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ASD Load Combinations – IBC 2015/ASCE 7-10 VERT. & LATERAL

- $D+F$
- $D + H + F + L$
- \blacksquare $D + H + F + (L_r \text{ or } S \text{ or } R)$
- \blacksquare $D + H + F + 0.75(L) + 0.75(L_r \text{ or } S \text{ or } R)$
- $D+H+F+(0.6W\ or\ 0.7E)$
- \blacksquare $D + H + F + 0.75(0.6W) + 0.75L + 0.75(L_r \text{ or } S \text{ or } R)$
- \blacksquare D + H + F + 0.75(0.7E) + 0.75L + 0.75(S
- \blacksquare 0.6*D* + 0.6*W* + *H*
- \blacksquare 0.6(D + F) + H + 0.7E

Table 4.3.1 Applicability of Adjustment Factors for Sawn Lumber VERT. & LATERAL

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Table 5.3.1 Applicability of Adjustment Factors for Structural Glued Laminated Timber VERT. & LATERAL

Table 7.3.1 Applicability of Adjustment Factors for **Prefabricated Wood I-Joists - VERT.**

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Wood Systems and Elements VERT. & LATERAL

Two Basic Types of Systems

Light Timber Systems

- Plywood
- **Joists sawn timber or EWP (Eng. Wood Products)**
- Beams sawn timber or EWP
- Stud Walls
- Posts columns, pipe columns

Light Timber Systems VERT. & LATERAL

Sawn Timber Floor Joists

Sawn Timber Stud Walls

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Light Timber Systems VERT. & LATERAL

Sawn timber trusses and other engineered products substituted for roof/floor joists and beams , usually design using load tables

Also heavy –

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Wood Systems and Elements VERT. & LATERAL

Heavy Timber System ("Post and Beams")

- **Planks**
- Glu-laminated beams and girders (sometimes sawn timber)
- Glu-laminated columns or posts

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Wood Beams – Flexural Design VERT. & LATERAL

- General under flexure only
- \blacksquare Check bending capacity $(f_b \leq F_{bASD}')$

Under service level loads

 \blacksquare Check shear sapacity $(f_\nu \leq F'_{\nu ASD})$

Under service level loads

∎ $Check deflections (Δ $_{\rm max}$ \leq Δ $_{\rm max}$ $_{\rm allowed}$)$

Under service level live loads

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Wood Design "Guess and Check" VERT.

Get basic layout, then

- 1.Determine span and spacing
- 2.Determine load – max unfactored shear and moment.
- $\scriptstyle{3.5}$ Select size/species to ensure f_{bmax} and $f_{vmax} \leq F_{bASD}'$ and $F^\prime_{\nu ASD}$. (adjusted allowables)
- 4. Check deflect. Resize or reduce spacing or span if needed.

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Examples for Sawn Timber VERT.

Example Sawn Timber Beam VERT.

Design joists - max span 12 ft

Live load = $40 \times 16/12 = 53.3$ lb/ft

Dead load = $12 \times 16/12 = 16$ lb/ft

Max moment = $69.3 (12)^2/8 = 1,247.4$ lb \cdot ft

Now either guess at size of joist or wood species and grade

 $S = 1.5 (9.25)^{2}/6 = 21.4 \text{ in}^{3}$ Try a $2x10$

 $A = 1.5 \times 9.25 = 13.9 \text{ in}^2$

See tables in NDS Supplement

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Look at the NDS Supplement VERT. & LATERAL

Section Tables Sawn Timber VERT, & LATERAL

Check Bending - ASD VERT. & LATERAL

Sawn Timber Design Equation

 $f_{bmax} = M_{max}/S \leq F'_b$

 $F'_b = F_b C_D C_M C_t C_L C_F C_{fu} C_i C_r$

 F_b is from the tables depending on species, grades, size, grading rules etc. See Supplement.

Bending VERT. & LATERAL

 \mathcal{C}_M = Tables (4 A, B, C, D, E, F) – See Supplement

= 0.85 or 1.0 for visually graded sawn timber

4A (2 or 4) or 4D (5x5 or larger) when EMC > 19% for extended time

Note $\mathcal{C}_M = 1.0$ if $(F_b \mathcal{C}_F) \leq 1{,}150\ \mathrm{psi}$

$\mathcal{C}_t = 1.0$ for $T \leq 100^\circ$ F (2.3.3 in code)

1. Wet and dry service conditions for sawn lumber, structural glued laminated timber, prefabricated wood I-joists, structural composite lumber, and wood structural panels are specified in 4.1.4, 5.1.4, 7.1.4, 8.1.4, and 9.3.3, respectively.

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Adjustment Factors VERT. & LATERAL

Table 4A Adjustment Factors

Repetitive Member Factor, C_r
Bending design values, F_b , for dimension lumber 2^{*v*} to 4^{*v*} thick shall be multiplied by the repetitive member factor, $C_r = 1.15$, when such members are used as joists, factor, $C_0 = 1.15$, when such members are used as joists, trusts chords, the case than the state and the members which are in contact or spaced not more than 24° on center, are not less than 3 in number and are join

Wet Service Factor, C_M
When dimension lumber is used where moisture content will exceed 19% for an extended time period, design
values shall be multiplied by the appropriate wet service
factors from the following table:

$\begin{tabular}{ c c c c} \hline & \multicolumn{3}{c|}{\textbf{Wet Service Factors, } C_{\text{M}}} \\ \hline \multicolumn{3}{c|}{\textbf{F}_1 & \textbf{F}_i & \textbf{F}_u & \textbf{F}_e & \textbf{E} \text{ and } \textbf{E}_{\text{an}} \\ \hline \multicolumn{3}{c|}{\textbf{F}_2 & \textbf{F}_i & \textbf{D} & \textbf{O} \textbf{S} & \textbf{O} \textbf{S}^{++} & \textbf{O} \textbf{S} \\ \hline \multicolumn{3}{c|}{\textbf{F}_3 & \textbf{F}_4 & \text$

Flat Use Factor, $C_{\rm lo}$ and
any states adjusted by size factors are based on edgewise use (lead applied to narrow face). When dimension lumber is used flatwise (lead applied to wide face), the bending design value, F_{as}

 $\begin{tabular}{l} \textbf{NOTE} & \textbf{NOTE} \\ \textbf{To facilitate the of Table 4A, shading has been employed to disinequivalent data, values based on a 4' nominal width (Construction, Standard, and Utility nodes) or a 6' nominal width (Sudergade) for a 12'' nominal width (Select Stractural, No.1 & Btr, No.1, No.2, and No.3 grades). \end{tabular}$

Size Factor, C_F
Tabulated bending, tension, and compression parallel to grain design values for dimension lumber 2" to 4" thick shal
be multiplied by the following size factors:

 F_b' VERT. & LATERAL

 C_F = for sawn timber

Size Factor, C_F

Tabulated bending, tension, and compression parallel to grain design values for dimension lumber 2" to 4" thick shall be multiplied by the following size factors:

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F'_{b} VERT. & LATERAL

 $\rm C_{\rm fu}$ = flat use factor – when lumber is turned flat

 C_i = Incising factor – when dimension lumber is grooved > 0.4" & up to 3/8" long – density 1,100/ft2 Then C $_{\sf i}$ = 0.8 For F $_{\sf b}$, F $_{\sf t}$, F $_{\sf c}$, F $_{\sf v}$ For E and $\mathsf{E}_{\mathsf{min}}$ C_i = 0.95. For all other cond. C_i = 1 **ASCE & LEARNING** 28

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 C_r = repetitive member factor – must have at least three members, 2-4 thick, spaced up 2' apart and joined by other members such as floors then $= 1.15$, otherwise $= 1.0$.

 C_D = Duration Factor – see Appendix B – Use shortest for a given load combo.

 F_b'

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Bending VERT. & LATERAL

 $\textsf{C}_\textsf{L}$ = Stability factor (braced vs. unbraced beams)

See Spec 3.3.3 – C_{L} = 1.0 if braced, blocked, or near square. See requirements of Section 4.4.1 for sawn timber only.

$$
F_{bE} = \frac{1.2E'_{min}}{R_B^2}
$$

3.3.3.6 The slenderness ratio, R_B , for bending members shall be calculated as follows:

$$
R_B = \sqrt{\frac{\ell_e d}{b^2}}\tag{3.3-5}
$$

3.3.3.7 The slenderness ratio for bending members, R_B , shall not exceed 50.

3.3.3.8 The beam stability factor shall be calculated as follows:

$$
C_L = \frac{1 + (F_{bE}/F_b^*)}{1.9} - \sqrt{\left[\frac{1 + (F_{bE}/F_b^*)}{1.9}\right]^2 - \frac{F_{bE}/F_b^*}{0.95}}\tag{3.3-6}
$$

Table 3.3.3 Effective Length, $\ell_{\rm e}$, for Bending Members VERT. & LATERAL

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F_b VERT. & LATERAL

Table 4A Reference Design Values for Visually Graded Dimension Lumber

(Cont.) $(2^n - 4^n \text{ thick})^{1.2.3}$

(All species except Southern Pine—see Table 4B) (Tabulated design values are for normal load

duration and dry service

 F_b Values listed in Supplement for varies species and grades of lumber

F_b – Choose from Table VERT. & LATERAL

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For the Sawn Timber Beam (Joist) Example VERT.

 $F_{b'req} = M/S = (1,247.1/21.4 \text{ in}^3)12 = 699 \text{ psi}$

 $F'_b = C_D C_M C_t C_L C_F C_{fu} C_i C_r F_b$

Dry service, normal temps, no incisions $C_t = C_M = C_i = 1.0$ Braced by sheathing & bridging so $C_L = 1.0$, on edge $C_{fu} = 1.0$, (D+L) load $C_D = 1.0$ Multiple member so $C_r = 1.15$, $C_F = 1.1$ for #1-3 for 2" width So F_b must be $\geq 699/1.15(1.1)$ $= 553$ psi

Choose a species and grade with $F_b \geq 553$ psi

Size Factor, C_r
Tabulated bending, tension, and compression parallel to grain design values for the multiplied by the following size factors:

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F_b – Choose from Table 4A VERT. & LATERAL

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Example Sawn Timber Beam VERT.

A No 1 or 2 SPF 2 x 10 would work

 $\langle F_b = 875 \; psi > 553 \; (F_b$ required)

Look at shear design for sawn timber beams

Shear Design - Sawn Timber VERT. & LATERAL

 $f_v \leq F'_v$

 $f_v = VQ/Ib$ & for rectangular cross sections

 $f_{vmax} = 1.5(V/A)$

 $F'_{\nu ASD} = C_D C_M C_t C_i F_{\nu}$

 $C_M = 0.97$ for shear wet service

 $= 1.0$ for dry service

The rest is the same

for bending.

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Shear Design - VERT. & LATERAL

Can reduce shear and design for shear at d from supports

If notched - look to Section 3.4.3 for certain conditions or use mechanics

For Sawn Timber Beam (Joist) Example VERT.

 $f_{\nu max} = 1.5 V/A = (1.5(69.3)(12)/2)(1/13.9) = 44.9 \,\rm psi$

Only \mathcal{C}_D , \mathcal{C}_m and \mathcal{C}_t – all = 1.0

SPF (any grade) has a $F_{\nu ASD}=135\ \mathrm{psi}$ $F'_{\nu ASD} = C_D C_M C_t C_i F_{\nu} = 1(1)1(1)(135) = 135$ psi OK in Shear – 135 psi > 44.9 psi Note should add the weight of the joist and re-check stresses – by inspection OK

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Deflections VERT.

Service Level Loads Deflection

Limit live load deflections to L/360 or L/240

Long term effects – creep

 Δ_r $=$ $K_{cr}\Delta_{LT}$ $+$ Δ_{ST}

Where:

 K_{cr} = time dependent deformation (creep) factor

= 1.5 for seasoned lumber, structural glued laminated timber, prefabricated wood I-joists, or structural composite lumber used in dry service conditions as defined in 4.1.4, 5.1.5, 7.1.4, and 8.1.4, respectively.

= 2.0 for structural glued laminated timber used in wet service conditions as defined in 5.1.5.

= 2.0 for wood structural panels used in dry service conditions as defined in 4.1.4.

= 2.0 for unseasoned lumber or for seasoned lumber used in wet service conditions as defined in 4.1.4.

 Δ_{LT} = immediate deflection due to the long-term component of the design load

 Δ_{ST} = deflection due to the short-term or normal component of the design load

Example Sawn Timber Joist - VERT. Check deflections – only short term (2x10) $I = 1.5 (9.25)^3 / 12 = 98.9 \text{ in}^4$ $W_L = 1.33(40) = 53.3 \text{ lb/ft}$ Δ_{max} = 5(53.3)(12)⁴(12)³/[384(510,000)98.9] = 0.49 in. ൌ ܮ 292 ⁄ **What's wrong with this?**

Use 2x10 x 16" OC - SPF No. 2 or better

E from Table 4A for Light Members VERT. & LATERAL

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Example Sawn Timber Joist VERT. & LATERAL

Check deflections - only short term

$$
I = 1.5 (9.25)^3 / 12 = 98.9
$$
 in⁴

 $\Delta_{max} = 5(53.3)(12)^4(12)^3/[384(1,400,000)98.9] = 0.17$ in.

 $= L/801$ Less than L/360 or L/480 OK

Use $2x10 \times 16$ " OC - SPF No. 2 or better

Heavy Timber Beam Design -VERT. & LATERAL

- The same design procedures as before for sawn timber, but use Table 4D for heavy timbers to get some factors and reference stresses (F_b , F_v , etc.)
- Heavy Timbers are usually glulams glulam beams designed essentially the same, but again, some adjustment factors are different from sawn timber
- Also, reference stresses and sections are different Tables 5A, B, C, D

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Glued Laminated Timbers - VERT. & LATERAL

- Glued-laminated timbers are made up of wood laminations, or "lams" that are face bonded (glued) together with waterproof adhesives.
- **The grain of all laminations run** parallel with the length of the member. Lams are typically less than 2" inches thick.
- Glulam range in net widths from 2 1/2 to 10 3/4 inches, although nearly any member width can be produced.

Table 5.3.1 Applicability of Adjustment Factors for Structural Glued Laminated Timber - VERT. & LATERAL

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Design Properties of Glulam - VERT. & LATERAL

- Bending members are specified w.r.t. maximum allowable bending stress.
- For example, a 24F has allowable bending stress of 2,400 psi., and 26F an allowable bending stress of 2,600 psi.
- Various layups are used. An unbalanced 24F layup using visually graded Douglas-fir lumber is a 24F-V4. The "V" indicates visually graded lumber. A 24F-E4 indicates mechanical graded lumber.

Glulam Sizes for Western Species and Southern Pine (1d) Shown in Supplement - VERT. & LATERAL

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5.3.8 Curvature Factor, C_{c} VERT.

For curved portions of bending members, the reference bending design value shall be multiplied by the following curvature factor:

$$
C_c = 1 - (2,000)(t/R)^2
$$
\n(5.3-3)

Where:

t = thickness of laminations, in.

R = radius of curvature of inside face of member, in.

 $t/R \leq 1/100$ for hardwoods and Southern Pine

 $t/R \leq 1/125$ for other softwoods

 C_v = Volume Factor - VERT. & LATERAL

$$
C_{\nu} = \left(\frac{21}{L}\right)^{1/x} \left(\frac{12}{d}\right)^{1/x} \left(\frac{5.125}{b}\right)^{1/x} \le 1.0\tag{5.3-1}
$$

Where:

L = length of bending member between points of zero moment, ft

d = depth of bending member, in.

b = width (breadth) of bending member. For multiple piece width layups, b = width of widest piece used in the layup. Thus, $b \le 10.75$ in.

 $x = 20$ for Southern Pine

 $x = 10$ for all other species

Table 5A - VERT. & LATERAL

(Members stressed primarily in bending) (Tabulated design values are for normal load duration and dry service conditions. See NDS 5.3 for a comprehensive description of design value adjustment factors.)

Table 5A - VERT. & LATERAL

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Table 5B - VERT. & LATERAL

Table 5B Reference Design Values for Structural Glued Laminated Softwood Timber

(Members stressed primarily in axial tension or compression) (Tabulated designvalues are for normal load duration and dry service conditions. See
NDS 5.3 for a comprehensive description of designvalue adjustment factors.)

1. For members with 2 or 3 handasions, hereference shear design value for transverse leads partiel the material state of the laminition, $\Gamma_{\rm w}$, and the mathematic state of the form of the state of the final state of t

Table 5B

Table 5B **Reference Design Values for Structural Glu**

(Members stressed primarily in axial tension or compression) (Ta NDS 5.3 for a comprehensive description of design value adjustment fa

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Glulams - VERT. & LATERAL

- Table 5C is for hardwood glulams loaded primarily in bending
- Table 5D is for hardwood glulams loaded primarily in axial tension or compression

Wood Design Example 2 – Previous Prelim. Design VERT.

Design Load = 40 live load psf and 20 psf dead (not including girder wts.)

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Example Exterior Glulam Girder - VERT.

Use trib. width and uniform load analysis

Live load $= 40 \times 10 = 400$ lb/ft

Dead load $= 20 \times 10 = 200$ lb/ft

Max moment = $600 (40)^2/8 = 120,000$ lb \cdot ft

Now either guess at size of girder or wood species and grade

Try a 6.75 x 39 glulam $S = 1,711 \text{ in}^3$

 $A = 263.3$ in² weight ~ 65 lb/ft

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Example Exterior Glulam Girder - VERT.

 $F_{b'ASD\,req} = M/S = (133,000/1,711 \text{ in}^3)12 = 932 \text{ psi}$ $F'_{bASD} = C_D C_M C_t C_L$ (or C_V) $C_{fu} C_C C_I F_b$

Dry service, normal temps, no curvature not on flat

 $C_I = C_{fu} = C_t = C_M = C_C = 1.0$

Unbraced length Table 3.3.3

Simple span beam – $L_e = 1.54 \times (L_u = 10') = 15.4$ –

concentrated loads and bracing at ¼ points or = 2.06 *Lu*

 $L_e = 10(2.06) = 20.6$ for uniform loads braces at supports

Use $L_e = 20.6$ – check slenderness ratio = $R_B = [L_e d / b^2]^{1/2}$

 $R_B = [20.6(12)39/6.75^2]^{1/2} = 14.55 < 50$ (limit)

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Example Exterior Glulam Beam VERT.

$$
F_{bE} = 1.2E'_{min}/R_B^2
$$

\nGuess 16F - 1.3E(16F - V6) - from Table 5A $E_{min} = 850,000$
\n $F_{bx} = 1,600$ so $F_b^* = 1,600$ psi
\n $F_{bE} = 1.2 (850,000)/(14.55)^2 = 4,818$ psi
\n $C_L = (1 + F_{bE}/F_b^*)/1.9 - [[(1 + F_{bE}/F_b^*)/1.9]^2 - (F_{bE}/F_b^*)/0.95]^{1/2}$
\n $= 0.977$
\nCheck $C_v = (21/L)^{1/x} (12/d)^{1/x} (5.125/b)^{1/x} < 1.0$
\n $X = 10$ for all but southern pipe
\nL in feet and d and b in inches
\n $C_v = (21/40)^{1/10} (12/39)^{1/10} (5.125/6.75)^{1/10} = 0.811 < C_L$ Gov.

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Example Glulam Girder VERT.

 $F'_{bASD} = 0.811 \times 1,600 = 1,297 > 932 \text{ psi}$

OK in bending

Check shear

 $f_{vmax} = 1.5(V/A) = (1.5)(665(40)/2)/263.3 = 75.8$ psi

 $F'_{\nu ASD}$ = only C_D , C_M and C_t = 1.0 all

$$
16F - 1.3E(16FV6)
$$
, $F'_v = 265(1 \times 1 \times 1) = 265$ psi > 75.8

OK in shear

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Example Glulam Girder VERT. & LATERAL Check deflections – only short term $I = 33,370$ in⁴ (Table 1C) $\Delta_{max} = 5(400)(40)^4(12)^3/[384(1,600,000)33,370] = 0.43$ in. $= L/1,112$ OK for $L/360$

Use 6.75 x 39" 16F-1.3 E (16FV6) glulam

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What would change in the girder design if the deck was assumed to fully brace the girder? VERT. **Possible Answers**

- A. The C_L factor would change and the girder capacity would increase.
- B. The C_L factor would change and the girder capacity would decrease.
- c. The C_V factor would change and the girder capacity would decrease.
- D. The C_L factor would change and the girder capacity would not change.

Possible Breadth Exam Problems - VERT.

- a) Given a loading and span, select grade of lumber of a given size (or given grade, select size) to resist load. **Beam Ex 1 or 2, just use size given**.
- b) Given a beam, what is the maximum load that can be applied – smaller of that given by moment, shear or deflection check. **Beam Ex 1 or 2, just use size given and check flexure, etc**.
- c) Given a beam, find max. moment capacity or shear capacity, etc. **Beam Ex 1 or 2, just use size given and check flexure, etc**.

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Compression Loading VERT. & LATERAL

- Compression parallel to grain usually columns
- Compression perpendicular to the grain usually bearing

Compression Parallel to Grain - VERT. & LATERAL

- \blacksquare $f_c = P_{cap}/A_n \leq F'_{cASD}$ $/A_n \leq F_c'$
- $\blacksquare F'_{cASD} = F_c \times C_D \times C_m \times C_t \times C_p \times^*$
- \blacksquare \mathcal{C}_D , \mathcal{C}_M , \mathcal{C}_t as with bending
- \blacksquare * \mathcal{C}_i , and \mathcal{C}_F are also applied for sawn timber as with bending

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Compression Parallel to Grain - VERT. & LATERAL

■ Code classifies three column types – solid, spaced or built-up

Compression Parallel to Grain - VERT. & LATERAL

$$
C_p = \frac{1 + (F_{cE}/F_c^*)}{2c} - \sqrt{\left[\frac{1 + (F_{cE}/F_c^*)}{2c}\right]^2 - \frac{(F_{cE}/F_c^*)}{c}}
$$

 F_c^* = adjusted allowable except \mathcal{C}_p

$$
F_{cE} = \frac{0.822 E'_{min}}{(l_e/d)^2}
$$
 $c = 0.8$ sawn timer, 0.9 for glulams

Largest l_e/d governs and must not exceed 50, $l_e = K_e l$

App G suggests

$$
K_{e_{pin_pin}} = 1.0 \text{ and } K_{e_{fixed_fixed}} = 0.65
$$

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Spaced Columns - VERT. & LATERAL

 $F_{cE} = \frac{0.822 K_{x} E'_{min}}{(1 - \lambda)^{2}}$ ᇲ $l_e/d)^2$

 $c = 0.8$ sawn timber, 0.9 for glulams

Largest l/d governs and must not exceed 50 or 40 (see Section 15.2)

 $k_x = 2.5$ for condition a and 3.0 for condition b

$$
l_e = Kl
$$

Note that split ring systems must provide capacity as defined in 15.2

Built-up Columns - VERT. & LATERAL

Figure 15B Mechanically Laminated **Built-Up Columns**

$$
C_p = K_f \left(\frac{1 + (F_{cE}/F_c^*)}{2c} - \sqrt{\left[\frac{1 + (F_{cE}/F_c^*)}{2c} \right]^2 - \frac{(F_{cE}/F_c^*)}{c} \right)}
$$

$$
F_{cE} = \frac{0.822 E'_{min}}{(l_e/d)^2}
$$

 $K_f = 0.6$ for built-up columns where ℓ_{e2}/d_2 is used to calculate F_{cE} and the built-up columns are nailed in accordance with 15.3.3

 $K_f = 0.75$ for built-up columns where ℓ_{e2}/d_2 is used to calculate F_{cE} and the built-up columns are bolted in accordance with 15.3.4

 $K_f = 1.0$ for built-up columns where ℓ_{e1}/d_1 is used to calculate F_{cE} and the built-up columns are either nailed or bolted in accordance with 15.3.3 or 15.3.4, respectively

 $c = 0.8$ for sawn lumber

 $c = 0.9$ for structural glued laminated timber or structural composite timber

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Example Sawn Timber Column - VERT. Assume Column as Shown - Pin-Pin supports $P = 5,760$ lb dead + 24,000 lb live = 29,760 lb Dry service, normal temps, no incising $C_m = C_t = C_D = 1.0$ – guess $C_p = 0.8$ Guess larger than 2-4" use Table 4D post and 9_{ft} timber SPF#1 $F_c = 700 \text{ psi} = F_c^*$ since factors except C_p are = 1.0 (including C_F) Then area required = $29,760/700 \times 0.8 = 53.1$ in²

Try an 8 x 8 in – area = $(7.5)^2$ = 56.25 in²

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Example Sawn Timber Column - VERT.

D Reference Design Values for Visually Graded Timbers (5" x 5" and larger) 1,3

 $(Cont.)$ (Tabulated design values are for normal load duration and dry service conditions, unless specified otherwise. See NDS 4.3 for a comprehensive description of design value adjustment factors.)

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Example Sawn Timber Column VERT.

 $F_{cE} = 0.822 (E_{min})/(L_e/d)^2 = 0.822 \, (470,000)/(9 \times 12/7.5)^2 = 1,863 \, \mathrm{psi}$

$$
C_p = \left(1 + (F_{cE}/F_c^*)\right)/2c - \left[\left[\left(1 + (F_{cE}/F_c^*)\right)/2c\right]^2 - (F_{cE}/F_c^*)/c\right]^{1/2}
$$

= 0.906 (note $c=0.8$ for sawn timber and $\mathcal{C}_F=1)$

 $F'_{c} = 700 \times 1 \times 1 \times 1 \times 0.906 = 634 \text{ psi}$

 $f_c = 29,760/56.25 = 529 \,\text{psi} < 634 \,\text{OK}$

Use a 8x8 SPF #1 Post

Example Built-up Sawn Timber Column VERT.

Similar to previous example – pinned-pinned supports. Find capacity of the column.

Assume (5) 2 x 6, SPF #2 Built-up Column

Dry service, normal temps, no incising

 $\mathcal{C}_m=\mathcal{C}_t=\mathcal{C}_D=1.0$

Use Table 4A , $\;$ $\;C_{F}=1.1,$ & (SPF #1&2) $F_{c}=1.150$ ${\rm psi}$

Assume nailed to meet 15.3.3. $K_{f2} = 0.6$ for buckling about nailed axis and $\mathit{K}_{f1} = 1.0$ for buckling about solid axis

Area = $5 \times 1.5 \times 5.5 = 7.5 \times 5.5 = 41.25 \text{ in}^2$

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Example Built-up Timber Column - VERT.

 $F_{cE1} = 0.822 (E_{min})/(L_{e1}/d_1)^2 = 0.822 (510,000)/(9 \times 12/5.5)^2 = 1,087 \text{ psi}$ $F_{cE2} = 0.822 (E_{min})/(L_{e2}/d_2)^2 = 0.822 (510,000)/(9 \times 12/7.5)^2 = 2,022 \text{ psi}$ $F_c^* = 1.1 \times 1,150 = 1,265 \,\mathrm{psi}$

$$
C_{p1} = K_{f1} \left(1 + (F_{cE1}/F_c^*) \right) / 2c - \left[\left[\left(1 + (F_{cE1}/F_c^*) \right) / 2c \right]^2 - (F_{cE1}/F_c^*) / c \right]^{1/2} \right)
$$

= 0.636 for $K_{f1} = 1.0$

$$
C_p = K_{f2} \left(1 + (F_{cE2}/F_c^*) \right) / 2c - \left[\left[\left(1 + (F_{cE2}/F_c^*) \right) / 2c \right]^2 - (F_{cE2}/F_c^*) / c \right]^{1/2} \right)
$$

 $= 0.495$ for $K_{f2} = 0.6$ governs

(note $c = 0.8$ for sawn timber)

 $F'_c = 1,265 \times 0.495 = 626 \,\text{psi}$

Capacity = $41.25 \times 626 = 25,830$ lb

Possible Breadth Exam Problems - VERT.

- a) Given a loading and height, select grade of lumber of a given size (or given grade, select size) to resist load. **Column Ex 1 or 2, just use size given**.
- b) Given a column, what is the maximum load that can be applied. **Column Ex 1 or 2, just use size given and back calculate load from stress**.
- c) Truss compression members **design as a column after load is determined. Usually pin-pin supports**.

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Combined Axial Load and Bending - VERT. & LATERAL

Members subjected to a combination of bending and axial tension (see Figure 3G) shall be so proportioned that:

(3.9-1)

(3.9-2)

$$
\frac{f_t}{F'_t} + \frac{f_b}{F_b^*} \le 1.0
$$

and
$$
f_{\text{eff}}
$$

$$
\frac{f_b - f_t}{F_b^{**}} \le 1.0
$$

Where

 F_b^* = reference bending design value multiplied by all applicable adjustment factors except \mathcal{C}_L

 F_b^{**} = reference bending design value multiplied by all applicable adjustment factors except \mathcal{L}_ν

$$
\mathbb{Z}^{\mathbb{Z}}
$$

For truss tension members, no bending, just limit $f_t = T/A_n \leq F'_t$

$$
f_{\rm{max}}
$$

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Combined Axial Load and Bending - VERT. & LATERAL

3.9.2 Bending and Axial Compression

Members subjected to a combination of bending about one or both principal axes and axial compression (see Figure 3H) shall be so proportioned that:

$$
\left[\frac{f_c}{F_c'}\right]^2 + \frac{f_{b1}}{F_{b1}'[1 - (f_c/F_{cE1})]} + \frac{f_{b2}}{F_{b2}'[1 - (f_c/F_{cE2}) - (f_{b1}/F_{bE})^2]} \le 1.0
$$
\n(3.9-3)

Ch. 15.4 NDS – Columns with eccentric axial loads and/or side loads, slightly different formula

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Diaphragms & Load Distribution - LATERAL

- Design sheathing and framing to take shear and
- End/edge elements to take cord forces (columns - tension members)
- Chord force = M/d
- Design chord elements for extra axial force – beam column. Be careful with bearing on plates at base of shear walls and anchors.
- d distance between centerline of chords

Wood diaphragms are almost always flexible –

Lat. Load distribution w.r.t. trib. width

Shear Walls and Diaphragms - LATERAL

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- Get shear per unit length $=$ shear/net length of shear wall or depth of diaphragm from:
- AWC SDPW&S I will use this since it is specifically referenced by the NCEES Materials.
- IBC Section 2305 can also be used.
- Aspect ratios of diaphragm limited to 3:1 (no blocking) or 4:1 in NDS SDPW&S for structural panels

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Shear Walls and Diaphragms - LATERAL

For segmented shear walls, three methods of design are used –

The simplest is to design full height segments to have a sum of resistances that is greater that the total diaphragm reaction. OK as long as same materials.

Must have chord elements at edge of each segment.

Segments must meet SDPWS Section 4.3.4 aspect ratios & shear walls 3.5:1 to 1.5:1

Use the AWC-SDPWS 2015 Standard LATERAL

Diaphragm Capacities - LATERAL

Table 4.2A Nominal Unit Shear Capacities for Wood-Frame Diaphragms

-
-
-
-
- ing is greater than 19% at time $of the first$
- .
direction of continuous panel joints with 1
on of framing members, and is independ

(a) Panel span rating for out-of-plane load
(See Section 3.2.2 and Section 3.2.3)

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Diaphragm Capacities - LATERAL inal linit Shear Ca

Table 4.2° Nom

anhradme

Also have tables of high load diaphragms and lumber diaphragms

Allowable values = nominal resistance/2

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Simple Diaphragm Example LATERAL

Simple Diaphragm Example LATERAL

Determine the shear flow, q

Critical diaphragm shear = $(135 + 45)$ lb/ft x $(5)(16')$ x $1/2 = 7,200$ lb

 $0.6W = 7{,}200 \times 0.6 = 4{,}320$ lb

$$
q = \frac{4,320}{4x12} = 90 \text{ lb/ft}
$$

Use Table 42C Unblocked – Assume Case 1 (But any will work)

Unblocked – 2 inch members, 6d nails @ 6 inch OC, single floor sheathing .

q_{allow} = ½ x 420 = 210 lb/ft > 90 lb/ft Therefore OK

Note for all other cases, $\mathsf{q}_{\mathsf{allow}}$ = ½ x 310 = 155 lb/ft > 90 lb/ft

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Diaphragm Capacities - LATERAL

Allowable values = nominal resistance

(a) Panel span rating for out-of-plane loads may be lower than the span rating with the long panel dire (See Section 3.2.2 and Section 3.2.3)

Shear Walls – Also Have Tables for Gyp. Board LATERAL

Table 4.3A Nominal Unit Shear Capacities for Wood-Frame Shear Walls^{1,3,6,7}

 $\frac{1}{2}$ and $\frac{1}{2}$ a

nced nominal unit shear capacities shall be determined by multiplying the tabulated nominal unit shear capacity
ming lumber from the NIX (Table 11.3.2A). The Specific Gravity Adjustment Factor shall not be greater than 1.
 sment rates we just our and the information of the training unner training the state in 1.60, i.e. persons of the state of the stat

shall be bot d ped or tumb **ASCE & LEARNING**

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Example Shear Wall - LATERAL

Reaction from Diaphragm

A stud shear wall – assume 2x4 SPF #2 Studs, 16" OC, with 7/16" Structural I sheathing and 8d nails at 6" O.C. at panel on edges and 12" OC intermediate fasteners.

What is the shear (seismic) diaphragm reaction allowed and the chord forces on the wall?

Example Shear Wall - LATERAL

The aspect ratio = $h/l = 9/8 - 1.125 < 2$ allowed for structural sheathing and seismic (slide 84)

Check max shear allowed in Table 4.3A

= nominal shear/2

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Shear Walls – Also Have Tables for Gyp. Board -LATERAL

ass sautos anysos in accordance win 4.5.3 to averanne AsD attacked and assert and LKPD tatomed unit resistance. For generat construction requirements and box nail of the set of t

states, no - section and the section and the section and section

Example Shear Wall - LATERAL

Nominal shear per unit length = 560 lb/ft (seismic)

Allowable shear per unit length = $560/2 = 280$ lb/ft

Adjust for specific gravity adjustment factor = $[1 - (0.5 - SG)]$

Table $11.3.2A - NDS - SG SPF = 0.42$

Allowable diaphragm reaction = $280 \times 8 \times [1 - (0.5 (0.42)$] = 2,061 lb

For this reaction, the chord forces are:

Assume (2) 2x4 on each edge $d = 96 - 3 = 93" = 7.75'$

Chord forces = $2,061 \times 9/7.75 = \pm 2,400$ lb

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Get Cg, W, Z and Other Values from Tables VERT. & LATERAL

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Get Cg, W, Z and Other Values from Tables VERT. & LATERAL

Conclusion

Thank you for your attention!

Any questions?

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See www.awc.org for free education modules and info.

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